

Effect of different Gaussian width on disappearance of flow

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1. Introduction

The study of collective transverse in-plane flow has been an intense field of research for the past twenty years to study the properties of hot and dense nuclear matter, i.e. the nuclear matter equation of state (EOS) as well as nucleon-nucleon cross-section. This has been reported to be highly sensitive towards the entrance channel parameters such as combined mass of the system, colliding geometries, as well as incident energy of the projectile [1]. While going through the incident energies, collective transverse in-plane flow disappears at a particular incident energy termed as balance energy (E_{bal}) or energy of vanishing flow (EVF). The EVF has been studied experimentally as well as theoretically for different lighter and heavier systems and found to vary strongly as a function of combined mass of the system as well as a function of incident energy of projectile. It is worth mentioning that the appropriate choice of the Gaussian width of nucleon wave packet is very important as it affects the collective flow and also the energy of vanishing flow (EVF). In the present paper, we reduce and enhance the scaled Gaussian width (SGW) by 30% from the normal SGW of the systems and see its effect on balance energy. The scaled Gaussian width can be defined as the ratio of Gaussian width used for any nuclei to the Gaussian width used for Au nuclei (i.e. 8.66 fm^2). The present study is carried out within the framework of isospin-dependent quantum molecular dynamics (IQMD) model [2]

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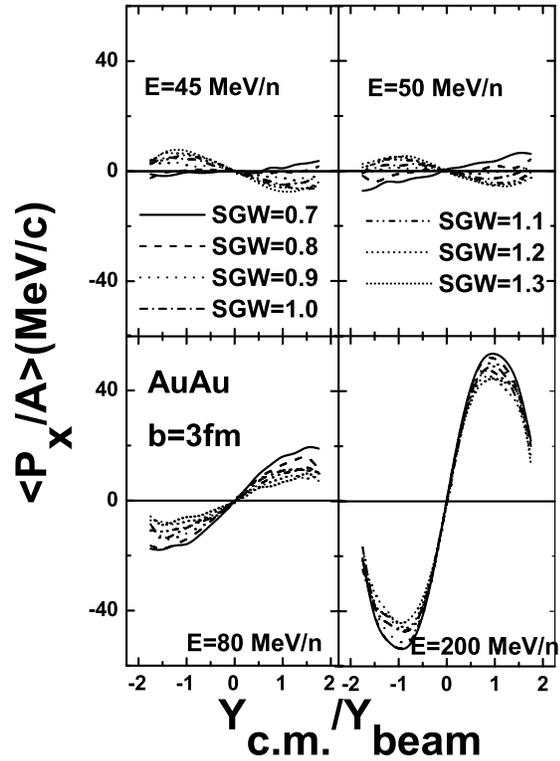


FIG. 1: The averaged $\langle P_x/A \rangle$ as function of the rapidity distribution. Here we display the result for Au+Au system at different incident energies and different scaled Gaussian width (SGW).

2. Results and Discussion

We here simulate reactions of $^{86}\text{Kr}_{36} + ^{93}\text{Nb}_{41}$ ($b=4 \text{ fm}$, $L=0.6L$), $^{64}\text{Zn}_{30} + ^{58}\text{Ni}_{28}$ ($b=2 \text{ fm}$, $L=0.6L$), $^{129}\text{Xe}_{54} + ^{118}\text{Sn}_{50}$ ($b=0-3 \text{ fm}$, $L=0.7L$), $^{139}\text{La}_{57} + ^{139}\text{La}_{57}$ ($b=3.5 \text{ fm}$, $L=0.8L$), $^{197}\text{Au}_{79} + ^{197}\text{Au}_{79}$ ($b=2.5 \text{ fm}$, $L=L$) where

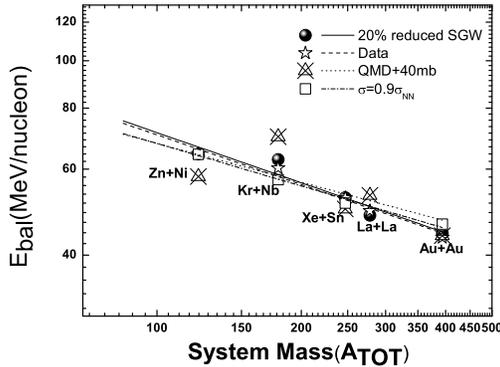


FIG. 2: Balance energy as a function of combined mass of the system

$L=8.66 \text{ fm}^2$, using a soft equation of state along with reduced isospin dependent cross-section ($\sigma = 0.9\sigma_{NN}$) at incident energies between 45 and 200 MeV/nucleon. [1]. The reactions are followed till the transverse flow saturates. We noticed that 20% reduction from normal SGW for different systems can better explain experimental findings. The choice of these reactions is based on the availability of experimental balance energies. Our aim here is to study the reaction dynamics near the balance energy for directed flow in terms of balance energy. In the fig. 1, we display the change in the transverse momentum $\langle P_x/A \rangle$ as a function of rapidity distribution at different incident energies from 45 to 200 MeV/nucleon for $^{197}\text{Au}_{79} + ^{197}\text{Au}_{79}$ system. The different lines in the figure show the variation with different SGW. From the figure, we see that slope becomes more positive or less negative with an increase in the incident energy range. However with a reduction in the scaled Gaussian width(SGW), slope gets more positive or less negative, while becoming less positive as we increase the SGW. This indicates that we see a change in the slope with incident energy and SGW. As the experi-

mental balance energy for $^{197}\text{Au}_{79} + ^{197}\text{Nb}_{79}$ is in the range of 40-45 MeV/nucleon, So 0.8 is the SGW by which we can better explain the experimental findings. Further, In Fig. 2, we display the energy of vanishing flow or balance energy(E_{bal}) as a function of composite mass of system that ranges from $^{64}\text{Zn}_{30} + ^{58}\text{Ni}_{28}$ to $^{197}\text{Au}_{79} + ^{197}\text{Au}_{79}$. In this figure, E_{bal} is showed for the experimental data (open stars), QMD+40mb (crossed triangle)[3] and IQMD+0.9 σ_{NN} (square)[1] and IQMD+0.9 σ_{NN} along with 20% reduction in SGW by dark circles. Balance energy(E_{bal}) decreases as the system mass increases. All the curves are fitted with power law of the form $C(A_{TOT})^\tau$. The present calculation depicts the τ value (-0.47 ± 0.03) , which is close to the experimental τ value (-0.46 ± 0.01) as compared to QMD+40mb calculation having τ value (-0.49 ± 0.04) and IQMD model with $\sigma = 0.9\sigma_{NN}$ with normal SGW of different system have τ value (-0.40 ± 0.14) . In other words, the present IQMD model with a soft equation of state along with 20% reduced SGW can explain the data much better than any other theoretical calculations. The reduced SGW explains the data for all nuclei, except for some lighter nuclei. The lighter nuclei, when checked out, demand for an enhanced SGW. Further study in this direction is in progress.

References

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