

Coherent Elastic Neutrino-Nucleus Scattering

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Introduction

This year the coherent elastic neutrino-nucleus scattering (νA_{el}) [1] is discovered at Spallation Neutron Source (SNS), Oak Ridge National Laboratory at 6.7 sigma confidence level using CsI(Na) scintillators [2]. The SNS facility provides the neutrino flux in various flavors and energy upto ~ 53 MeV. The detection threshold of ~ 5 keV_{nr} corresponds to the minimum energy of detected neutrinos above than 10 MeV. The nuclear reactors are pure neutrino source with a huge flux and energy upto 8 MeV. Maximum nuclear recoil in CsI and Germanium crystal with reactor neutrinos is less than 2 keV_{nr}, which provides the unseen region of νA_{el} detection of very low energy neutrinos.

The differential cross-section for this process is in terms of three momentum transfer ($q \equiv |\vec{q}|$) can be written as

$$\frac{d\sigma_{\nu A_{el}}}{dq^2} = \frac{1}{2} \left[\frac{G_F^2}{4\pi} \right] \left[1 - \frac{q^2}{4E_\nu^2} \right] [\varepsilon Z - N]^2 F(q^2), \quad (1)$$

where, G_F is fermi constant, E_ν is incident neutrino energy and $\varepsilon \equiv (1 - 4 \sin^2 \theta_W)$. While Z, N and M are atomic number, neutron number and mass of target nucleus and $F(q^2)$ is nuclear form factor. The three-momentum transfer (q^2) in terms of recoil energy (T) is given by $q^2 = 2MT + T^2 \simeq 2MT$.

The nuclear mass is use to be much larger than neutrino energy, therefore maximum nuclear recoil allowed by kinematics can be given by $T_{max} = 2E_\nu^2 / (2E_\nu + M) \simeq 2E_\nu^2 / M$

The normalized flux for reactor, solar and stopped pion (DAR) neutrino sources is shown

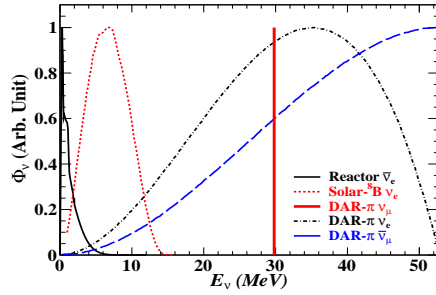


FIG. 1: Normalized neutrino flux from various sources for νA_{el} interaction.

in Fig1.

Coherency in CsI and Germanium

The decoherency effect in νA_{el} can be described as deviation from $[\varepsilon Z - N]^2$ scaling as increase in q^2 [3]. The addition of phase angle between amplitude of different nucleons gives a relative finite phase instead of being perfectly aligned. This affect as an average misalignment angle $\langle \phi \rangle \in [0, \pi/2]$ can be parameterize as degree of coherency $\alpha \equiv \cos \langle \phi \rangle$. Accordingly, the cross-section ratio between nucleus $A(Z, N)$ and neutron(0,1) can be expressed as

$$\frac{\sigma_{\nu A_{el}}(Z, N)}{\sigma_{\nu A_{el}}(0, 1)} = Z\varepsilon^2 [1 + \alpha(Z - 1)] + N[1 + \alpha(N - 1)] - 2\alpha\varepsilon ZN. \quad (2)$$

The limiting condition for above equation is

$$\sigma_{\nu A_{el}}(Z, N) \propto \begin{cases} [\varepsilon^2 Z + N], & \alpha = 0 \text{ (incoherent)} \\ [\varepsilon Z - N]^2, & \alpha = 1 \text{ (coherent)}. \end{cases}$$

As an alternative, the partial coherency effect can be characterized by the relative change in

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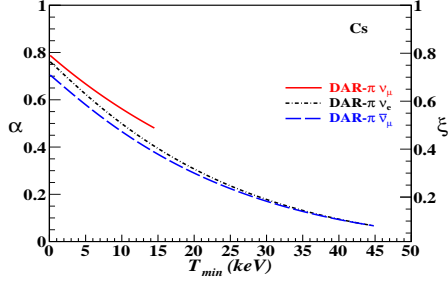


FIG. 2: Coherency in Cesium for νA_{el} interaction with different neutrino flavors at SNS.

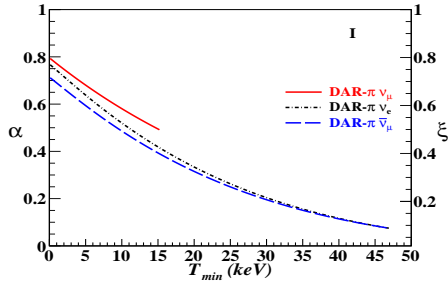


FIG. 3: Coherency in Iodine for νA_{el} interaction with different neutrino flavors at SNS.

cross-section

$$\xi \equiv \frac{\sigma_{\nu A_{el}}(\alpha)}{\sigma_{\nu A_{el}}(\alpha = 1)} = \alpha + (1 - \alpha) \left[\frac{(\varepsilon^2 Z + N)}{(\varepsilon Z - N)^2} \right]. \quad (3)$$

From eq.2 and 3, the coherency for CsI target is estimated for SNS source at various detection thresholds (Fig 2,3).

Future of νA_{el} at KSNL

The TEXONO experiment is located at Kuo-Sheng Nuclear Power Plant-2 at Jinshan District of Taiwan. The Kuo-Sheng Neutrino Laboratory (KSNL) has neutrino flux $6.35 \times 10^{12} \text{ cm}^{-2} \text{ s}^{-1}$ at a distance of 28 m from reactor core. The Germanium detector used at KSNL seems to be open unseen energy region of νA_{el} interaction with full coherence effects in near future(Fig. 5). Coherency in νA_{el} interaction with reactor neutrinos approaches to 1 at small q^2 [3]. The

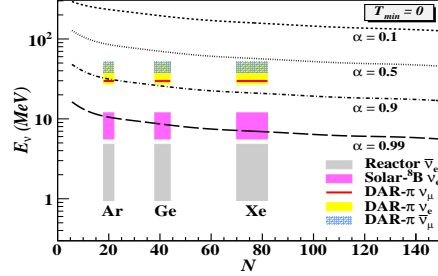


FIG. 4: Contours for degree of coherency in E_ν - N plane at $T_{min} = 0$. The bands covers feasible energy ranges for different neutrino sources and targets.

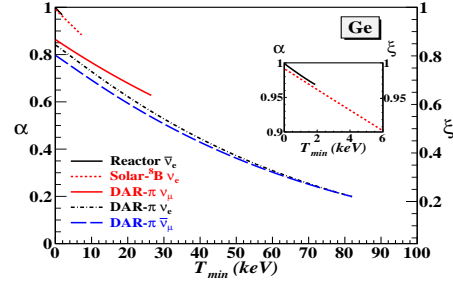


FIG. 5: Coherency in Germanium for νA_{el} interaction with different sources and flavours of neutrino.

study of low energy νA_{el} interaction is useful to constrain the sensitivities for physics beyond the standard model and for understanding of the irreducible background for dark matter experiments[4–6].

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